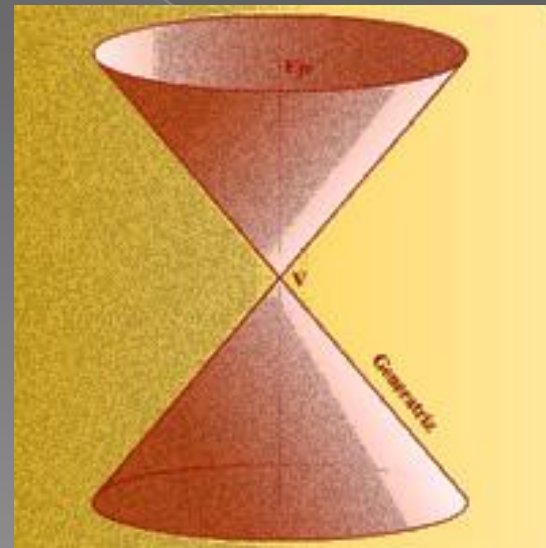
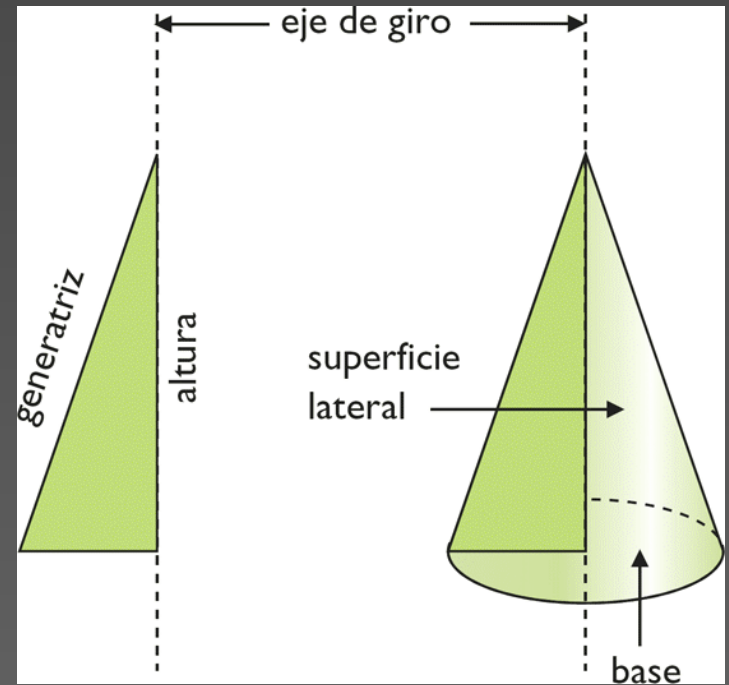


6.4 CONIC CURVES

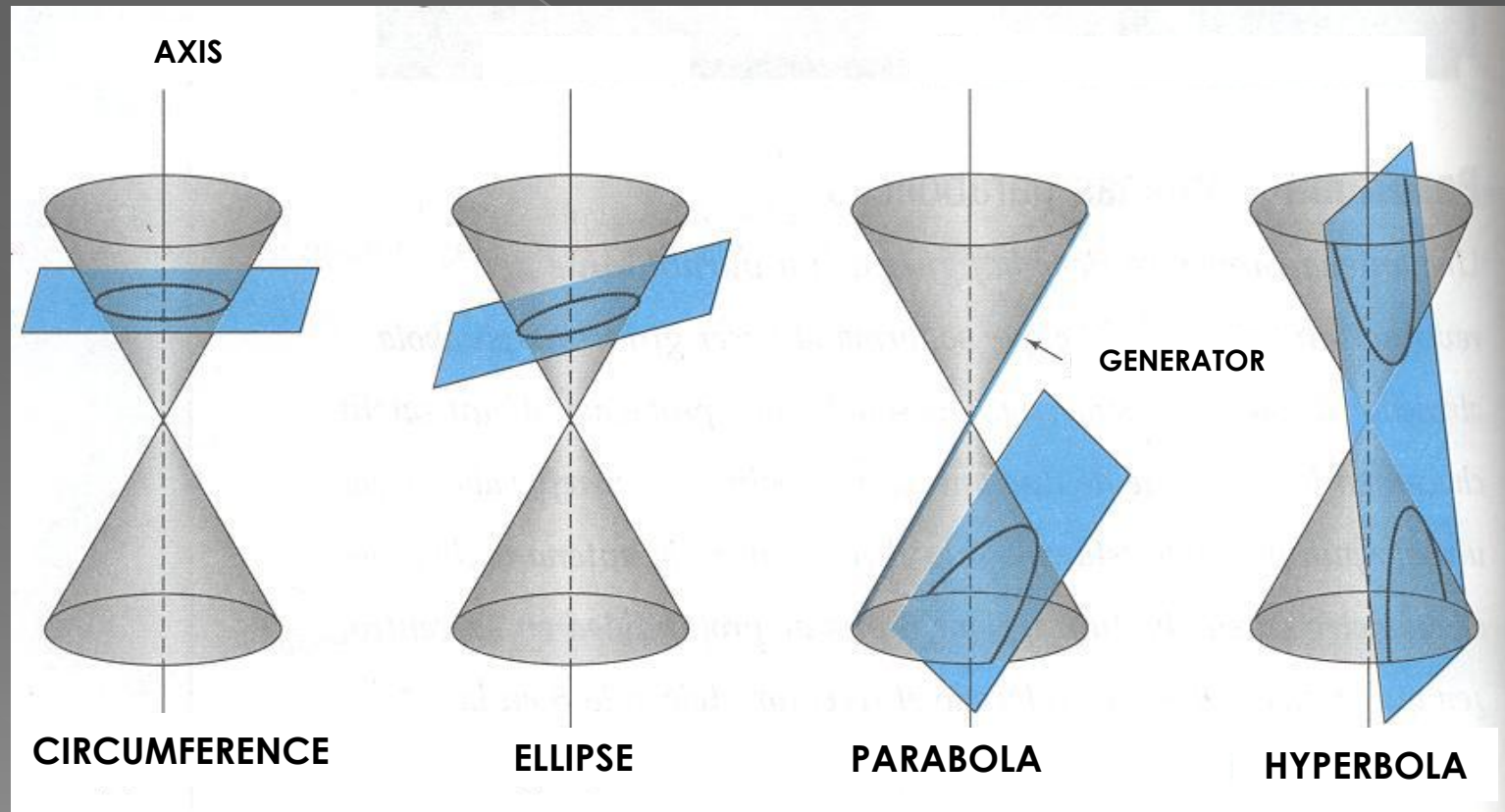
Conic Curves

- A revolution conic surface is generated when a line called “**generator**” (g) rotates around the surface’s axis.



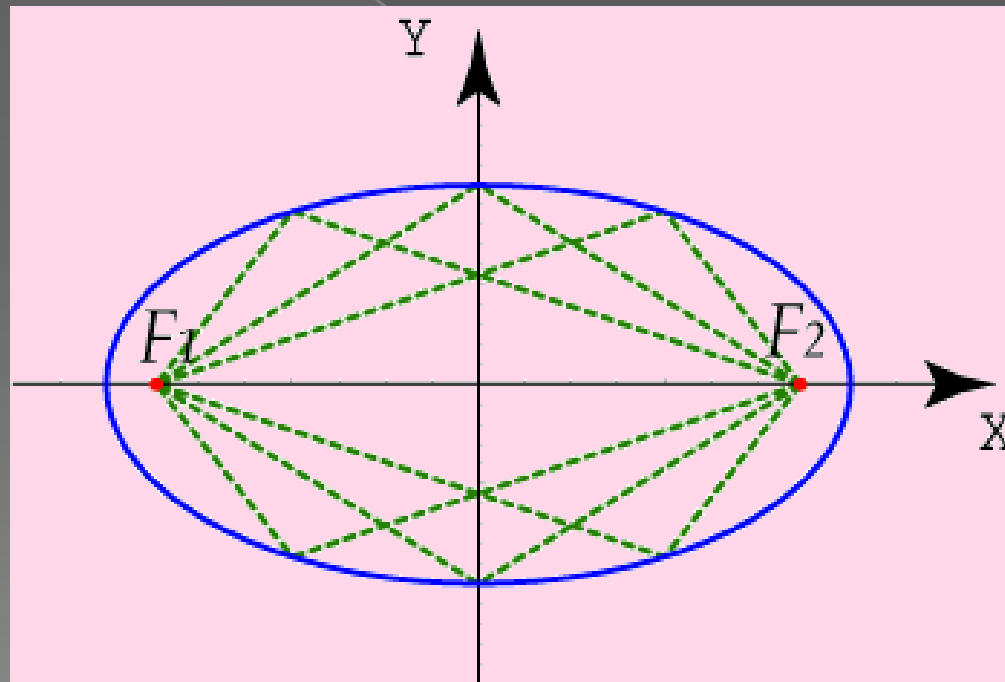
Revolution cone

- A plane can cut a cone to produce the four conic curves .
- Depending on how a plane cuts the cone, the section produced can be a circumference, ellipse, parabola, or hyperbola.



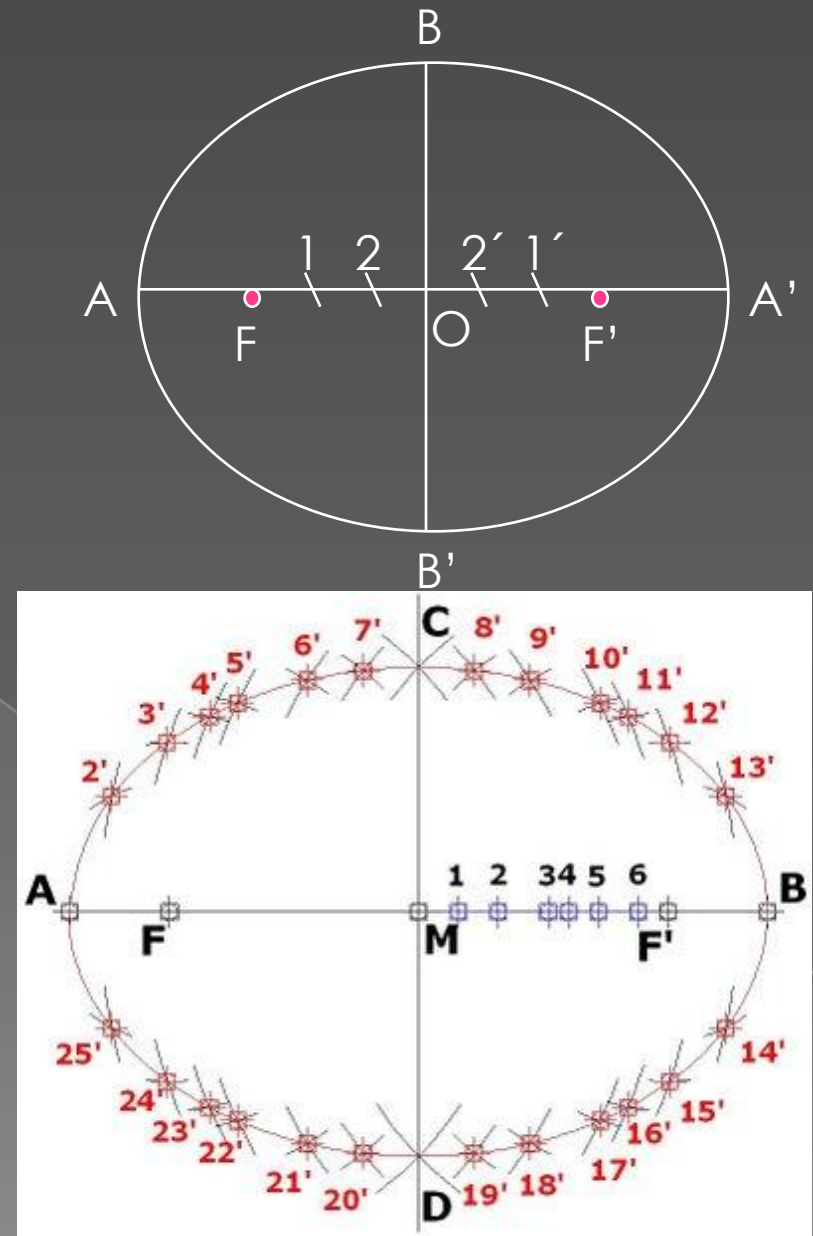
ELLIPSE

- It is a closed and plane curve formed by a set of points, its ratio of the distance to other two fixed points F_1 and F_2 called focal point is constant and equal to the major axis.



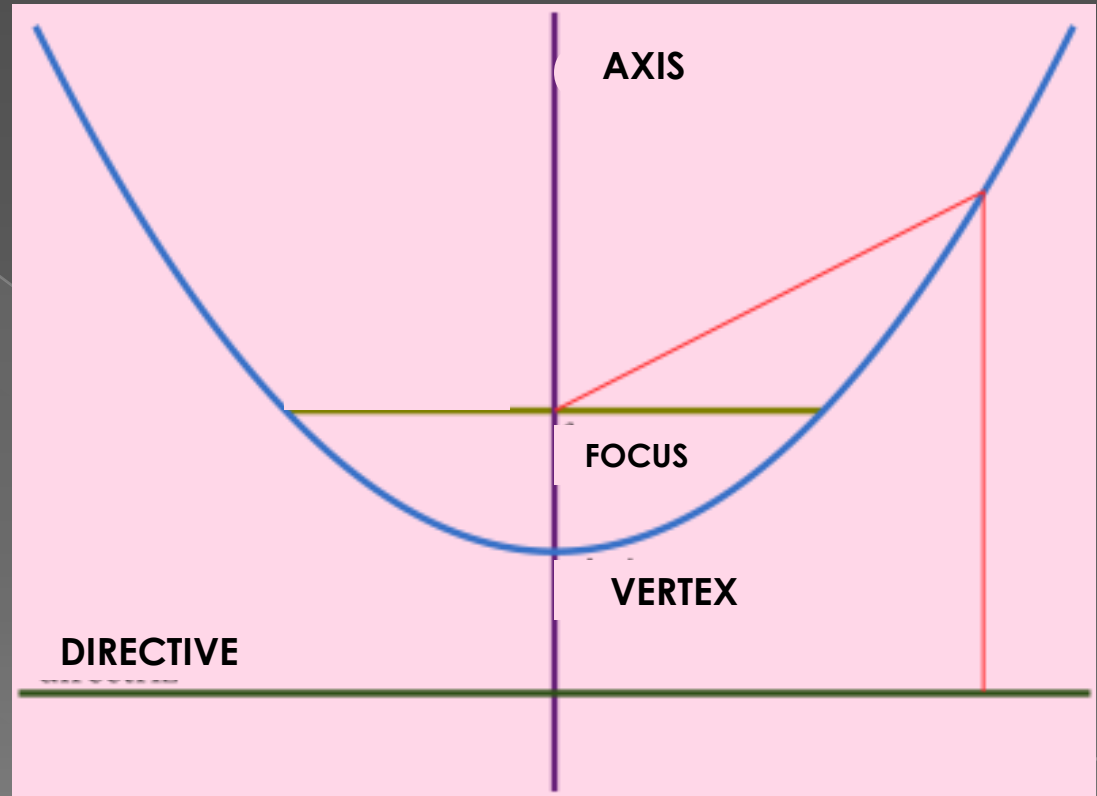
Construction of an ellipse

- Draw the perpendicular axes.
- With distance AO and center at B , trace an arc to cut the horizontal axis at points F and F' .
- Divide any equal divisions between FO and OF' .
- With distance $A1$ and from F , trace an arc, and trace another arc with distance $A'1$ which cuts the first
- Repeat the same way with successive points $2, 3, 4, \dots$
- Join the obtained points to draw the ellipse.



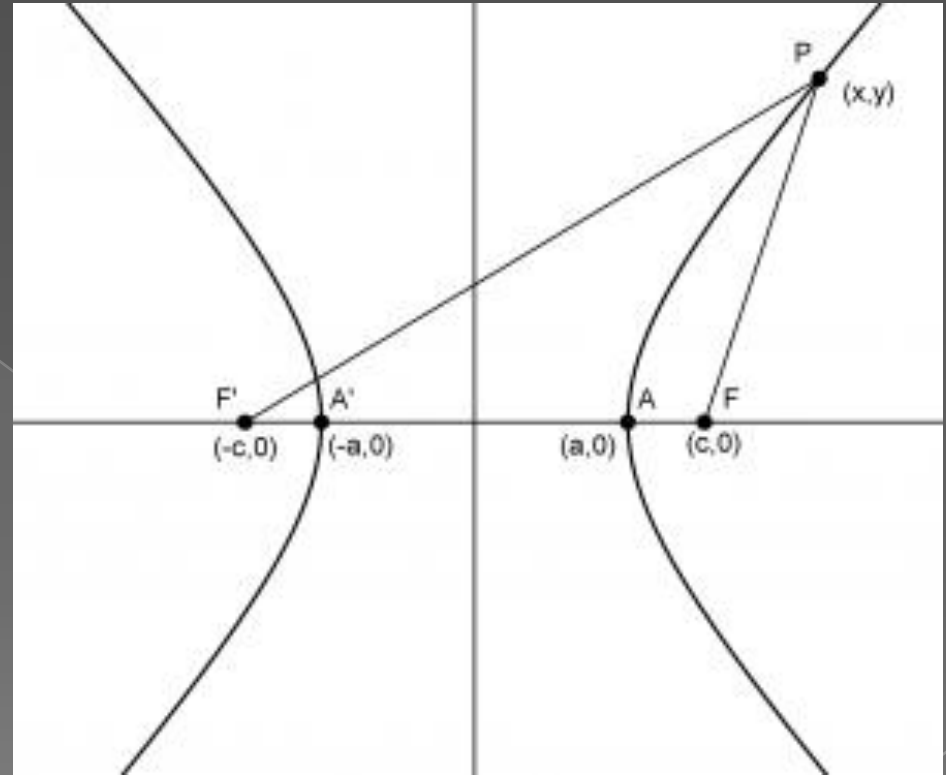
PARABOLA

- It is an opened, plane and symmetric curve, whose points are equidistant on an immovable line called **directive** (d), and from an immovable point F called **focus**.
- The symmetry **axis** (x) is perpendicular to the directive.
- The point of maximum curve is called **vertex** (V).



HYPERBOLA

- Its a symmetric, plane and open double curve, its distance difference (or ratio distance)to two fixed points F and F' (focal points) is constant and equal to the distance between the A and A' points (vertices), which is the real length of the hyperbole.



$$PF - PF' = AA'$$